

### Design Analysis of DC-DC module 50V/40A

$$\text{MEG} \equiv 10^6 \quad \text{k} \equiv 10^3 \quad \text{m} \equiv 10^{-3} \quad \text{u} \equiv 10^{-6} \quad \text{n} \equiv 10^{-9} \quad \text{p} \equiv 10^{-12} \quad \rho \equiv 2.3 \cdot 10^{-8} \text{ } [\Omega\text{-m}]$$

#### LLC Converter Analysis

Verified : 2 Aug 2018

#### Converter Specification

Use TPH3212 or TP65H070LX

$$V_{in_{LL}} := 380$$

$$V_{in_{NL}} := 390$$

$$V_{in_{HL}} := 400$$

$$V_o := 50$$

$$I_{o\_max} := 40$$

$$I_{ocp} := 44$$

$$C_{oss\_GaN} := 225\text{-p}$$

$$C_{equ\_winding} := 50\text{-p}$$

#### Design Parameter

$$V_{o\_eff} := V_o + 0.05$$

$$V_{o\_eff} = 50.05$$

$$I_o(x) := I_{o\_max} \cdot x$$

$$P_o(x) := V_o \cdot I_o(x)$$

$$P_o(100\%) = 2 \times 10^3$$

#### 1. Resonant Component Design

$$N_p := 40$$

$$N_s := 5$$

$$N_t := \frac{N_p}{N_s} = 8$$

$$L_m := 385\text{u}$$

$$L_s := 55\text{u}$$

$$C_s := 46\text{n}$$

$$F_o := \frac{1}{2\pi \sqrt{L_s \cdot C_s}}$$

$$F_m := \frac{1}{2\pi \sqrt{(L_s + L_m) C_s}}$$

$$I_{Lm} := \frac{N_t \cdot V_o}{4L_m \cdot F_o}$$

$$F_o = 1.001 \times 10^5$$

$$F_m = 35.377 \times 10^3$$

$$I_{Lm} = 2.596$$

$$T_o := F_o^{-1} = 9.994 \times 10^{-6}$$

$$t_d := \frac{16 \cdot (2C_{oss\_GaN} + C_{equ\_winding}) \cdot L_m}{T_o}$$

$$t_d = 308.184 \times 10^{-9}$$

$$t_d := 310\text{n}$$

$$F_s(t_d) := \left( 2t_d + \frac{1}{F_o} \right)^{-1}$$

$$T_s(t_d) := F_s(t_d)^{-1}$$

$$F_s(t_d) = 9.422 \times 10^4$$

$$L_{M\_GaN} := \frac{T_o \cdot t_d}{16(2C_{oss\_GaN} + C_{equ\_winding})}$$

$$L_{M\_GaN} = 3.873 \times 10^{-4}$$

### 2. Transformer Design and Analysis

Core dimension - SI unit  
MLT - Mean length per turn  
 $F_R$  - Estimated  $R_{ac}/R_{dc}$

T1 :PQ40/40 EPCOS 3C95, Ae 188u, Ve 17430u, MLT=82m, Aw 326u

Mat := "3C95"

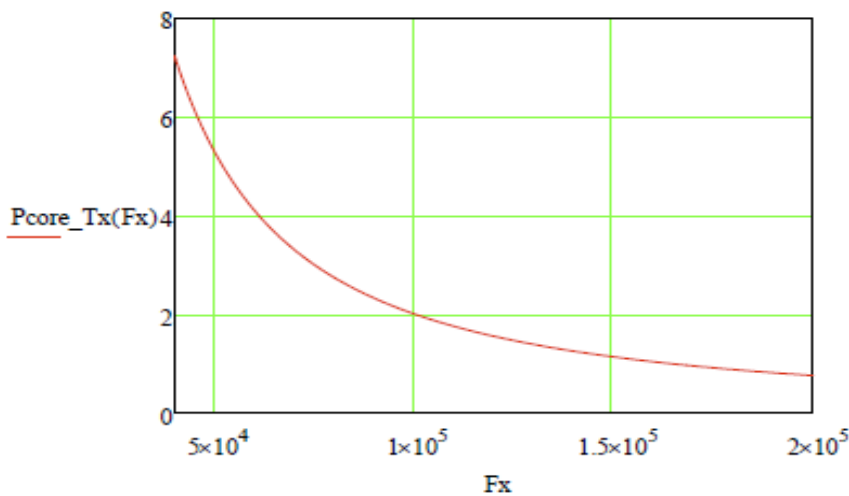
$$P_V = C_m \times f^1 \times B^1 \times (C_2 \times T^1 - C_1 \times T + C_3) / 1000$$

Ae := 188u Ve := 17430u MLT := 82m

#

$$P_{cv}(B, F, T) := 92.166 \cdot F^{1.045} \cdot B^{2.44} (4.62 \cdot 10^{-5} \cdot T^2 - 0.0079T + 1.332)$$

$$P_{core\_Tx}(F_x) := P_{cv}\left(\frac{1}{2} \frac{V_o\_eff}{2N_s \cdot Ae \cdot F_x}, F_x, 60\right) \cdot Ve$$



#### 2.1 Core Analysis

$$\Delta B := \frac{V_o\_eff}{2N_s \cdot Ae \cdot Fo} \quad B_m := \frac{\Delta B}{2}$$

$$P_{core\_T}(t_d) := P_{cv}(B_m, Fo, 60) \cdot Ve \cdot \left(\frac{F_s(t_d)}{Fo}\right) \quad P_{cv}(B_m, Fo, 65) = 1.143 \times 10^5$$

$$\Delta B = 0.266 \quad B_m = 0.133$$

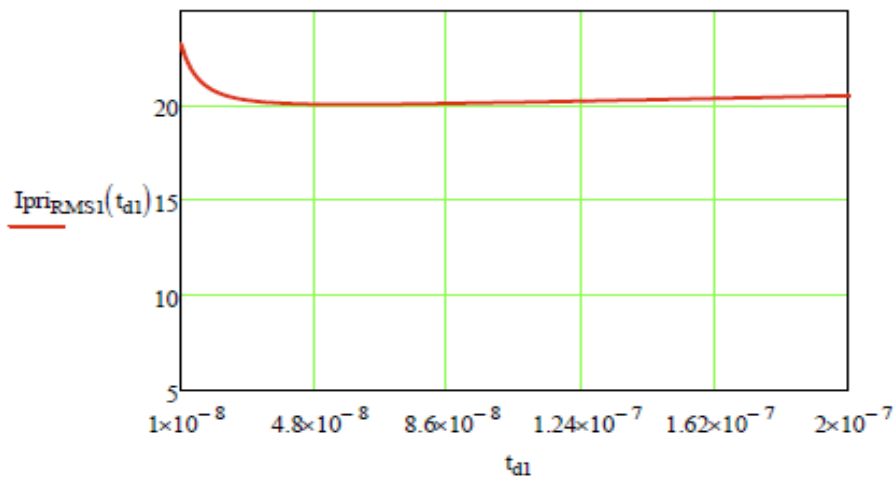
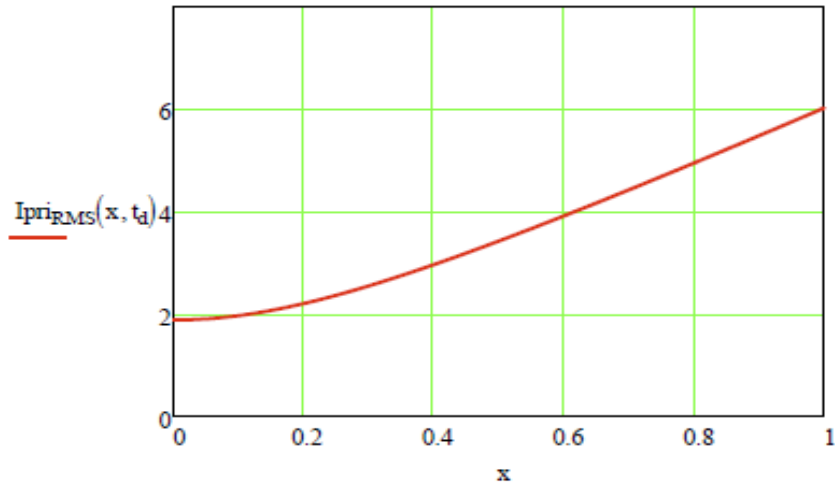
$$P_{core\_T}(t_d) = 1.896$$

#### 2.2 Winding Analysis

$$I_{pri\_RMS1}(t_{d1}) := \frac{1}{4\sqrt{2}} \cdot \frac{12}{4 \cdot \frac{12}{71}} \cdot \sqrt{\frac{256 \cdot N_t^4 \cdot C_{oss\_GaN}^2 \cdot \left(\frac{12}{71}\right)^2}{t_{d1}^2} + 4 \cdot \pi^2 + \frac{16 \cdot \pi^2 \cdot (T_o \cdot t_{d1} + t_{d1}^2)}{T_o^2}}$$

$$I_{pri\_RMS}(x, t_d) := \sqrt{\frac{1}{2} \cdot \left[ \left( \frac{\pi I_o(x) \cdot F_o}{2 N t \cdot F_s(t_d)} \right)^2 + I_{Lm}^2 \right] \frac{F_s(t_d)}{F_o} + I_{Lm}^2 \left( 1 - \frac{F_s(t_d)}{F_o} \right)}$$

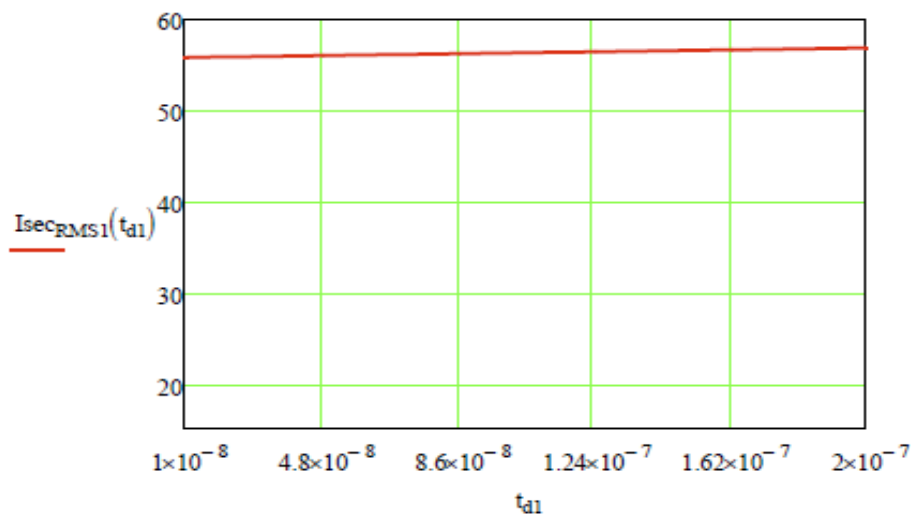
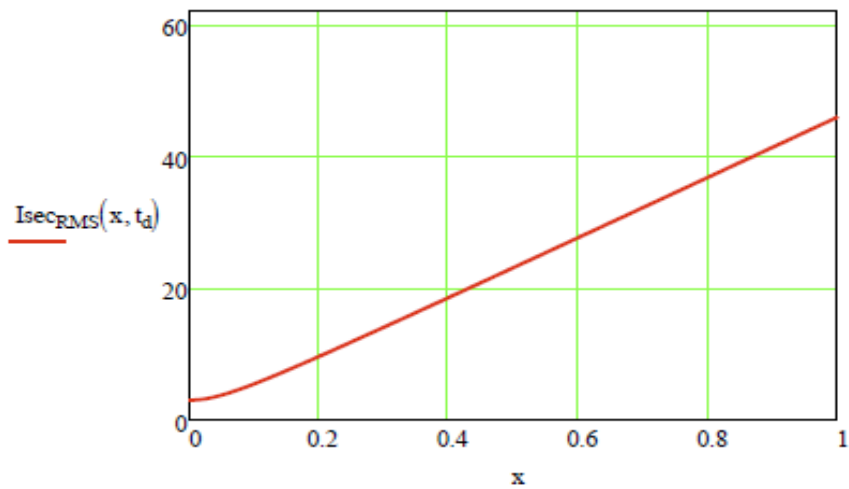
$$I_{pri\_RMS}(100\%, t_d) = 6.027$$



$$I_{sec\_RMS}(x, t_d) := I_o(x) \cdot \sqrt{2 \cdot \left[ \frac{\pi^2}{16} \frac{F_o}{F_s(t_d)} + \left( \frac{5}{12} - \frac{4}{\pi^2} \right) \left( \frac{N t \cdot I_{Lm}}{I_o(x)} \right)^2 \right] \frac{F_s(t_d)}{F_o}}$$

$$I_{sec\_RMS}(100\%, t_d) = 45.887$$

$$I_{sec\_RMS1}(t_{d1}) := \frac{\sqrt{3}}{24 \cdot \pi} \cdot \frac{12}{71} \cdot \sqrt{\frac{(5 \cdot \pi^2 - 48) \cdot N t^4 \cdot T_o^3 \cdot \left( \frac{12}{71} \right)^2}{L_m^2 \cdot (T_o + 2 \cdot t_{d1})} + \frac{12 \cdot \pi^4 \cdot T_o}{T_o + 2 \cdot t_{d1}} + \frac{48 \cdot \pi^4 \cdot (T_o \cdot t_{d1} + t_{d1}^2)}{T_o \cdot (T_o + 2 \cdot t_{d1})}}$$



$$k_o := 0.35$$

Winding Fill Factor

$$A_w := 326u$$

Winding Area

$$A_{eff} := k_o \cdot A_w = 1.141 \times 10^{-4}$$

$$I_{tot} := I_{pri\_RMS}(100\%, t_d) + \frac{1}{N_t} \cdot I_{sec\_RMS}(100\%, t_d) = 11.763$$

$$\alpha_1 := \frac{I_{pri\_RMS}(100\%, t_d)}{I_{tot}} = 0.512$$

$$\alpha_2 := \frac{I_{sec\_RMS}(100\%, t_d)}{I_{tot}} \cdot \frac{1}{N_t} = 0.488$$

$$Aw1 := \frac{\alpha1 \cdot A_{eff}}{N_p} = 1.462 \times 10^{-6}$$

AWG 38, Litz wire  $8.01 \times 10^{-9}$ , 230 strands, choose 200 strands

$$Aw2 := \frac{\alpha2 \cdot A_{eff}}{N_s} = 1.113 \times 10^{-5}$$

AWG 38, Litz wire  $8.01 \times 10^{-9}$ , 1760 strands, choose 1200 strands

Primary Winding:  
Litz winding 0.101mm (AWG38) -400 strand

$$dw\_pri := 0.1\text{mm} \quad nw\_pri := 200$$

$$R_{dcpri} := N_p \cdot \frac{\rho \cdot MLT}{nw\_pri \cdot (0.25\pi dw\_pri^2)}$$

$$R_{dcpri} = 0.048$$

$$F_{Rpri} := 1.1$$

Litz wire has little eddy current loss.

$$P_{cu\_pri}(x, t_d) := F_{Rpri} \cdot R_{dcpri} \cdot I_{pri\_RMS}(x, t_d)^2$$

$$I_{pri\_RMS}(50\%, t_d) = 3.429$$

$$I_{pri\_RMS}(100\%, t_d) = 6.027$$

$$P_{cu\_pri}(50\%, t_d) = 0.621$$

$$P_{cu\_pri}(100\%, t_d) = 1.919$$

Secondary Winding:  
Litz winding 0.101mm (AWG38) - 1000 strand,  
actual it is copper foil

$$dw\_sec := 0.1\text{mm} \quad nw\_sec := 1000$$

$$R_{dcsec} := \frac{N_s}{1} \cdot \frac{\rho \cdot MLT}{nw\_sec \cdot (0.25\pi dw\_sec^2)}$$

$$R_{dcsec} = 1.201 \times 10^{-3}$$

$$F_{Rsec} := 1.1$$

Litz wire has little eddy current loss.

$$P_{cu\_sec}(x, t_d) := F_{Rsec} \cdot R_{dcsec} \cdot I_{sec\_RMS}(x, t_d)^2$$

$$I_{sec\_RMS}(50\%, t_d) = 23.094$$

$$I_{sec\_RMS}(100\%, t_d) = 45.887$$

$$P_{cu\_sec}(50\%, t_d) = 0.704$$

$$P_{cu\_sec}(100\%, t_d) = 2.781$$

$$P_{cu\_T}(x, t_d) := P_{cu\_pri}(x, t_d) + P_{cu\_sec}(x, t_d)$$

Total copper loss

$$P_{cu\_T}(50\%, t_d) = 1.325 \quad P_{cu\_T}(100\%, t_d) = 4.7$$

### 2.3 Total Transfomer Loss

$$P_T(x, t_d) := P_{core\_T}(t_d) + P_{cu\_T}(x, t_d)$$

$$P_T(50\%, t_d) = 3.222 \quad P_T(100\%, t_d) = 6.596$$

## 3. Resonant Inductor Design and Analysis

LS:PQ3230 3C95,

PQ3230, Ae 167u, Ve12500n, MLT64.6m, Awr149.1

Core dimension - SI unit  
MLT - Mean length per turn  
FR - Estimated Rac/Rdc

$$A_e := 167u \quad V_e := 12500n \quad MLT_r := 64.4m \quad A_{wr} := 149.1u$$

$$Matr := "3C95"$$

$$P_{cvt}(B, F, T) := \begin{cases} 8.27 \cdot 10^{-2} F^{1.72} B^{2.80} (2.83 - 3.66 \cdot 10^{-2} T + 1.83 \cdot 10^{-4} T^2) & \text{if } Mat = "3C96" \wedge Fo < 200k \\ 9.17 \cdot 10^{-5} F^{2.22} B^{2.46} (3.39 - 4.72 \cdot 10^{-2} T + 2.33 \cdot 10^{-4} T^2) & \text{if } Mat = "3C96" \wedge Fo \geq 200k \\ 1.28 \cdot 10^{-8} F^{2.95} B^{2.94} (2.03 - 2.41 \cdot 10^{-2} T + 1.38 \cdot 10^{-4} T^2) & \text{if } Mat = "3F35" \\ 92.166 F^{1.045} B^{2.44} (4.62 \cdot 10^{-5} T^2 - 0.0079 T + 1.332) & \text{if } Mat = "3C95" \\ 0 & \text{otherwise} \end{cases}$$

$$I_r(x, t_d) := \sqrt{\left( \frac{\pi I_o(x) \cdot Fo}{2Nt \cdot F_s(t_d)} \right)^2 + I_{Lm}^2}$$

$$I_{RMS}(x, t_d) := I_{priRMS}(x, t_d)$$

$$I_r(50\%, t_d) = 4.912$$

$$I_r(100\%, t_d) = 8.736$$

$$I_{RMS}(50\%, t_d) = 3.429$$

$$I_{RMS}(100\%, t_d) = 6.027$$

### 3.1 Core Analysis

$$N_r := 20$$

$$L_s = 5.5 \times 10^{-5}$$

$$A_r := \frac{0.4 \cdot A_{wr}}{N_r} = 2.982 \times 10^{-6}$$

AWG 38, Litz wire  $8.01 \cdot 10^{-9}$  372 strands

$$Bmr(x, t_d) := \frac{(Ls - 12u) \cdot Ir(x, t_d)}{Nr \cdot Ae}$$

$$Ir(1, t_d) = 8.736$$

Assume Lk=2.2uH

$$Pcore\_Ls(x, t_d) := Pcv(Bmr(x, t_d), Fs(t_d), 100) \cdot Ve$$

$$Pcore\_Ls1(x, t_d) := Pcv(Bmr(x, t_d), Fo, 100) \cdot Ve \cdot \frac{Fs(t_d)}{Fo}$$

$$Fo = 1.001 \times 10^5$$

$$Fs(t_d) = 9.422 \times 10^4$$

$$Bmr(50\%, t_d) = 0.056$$

$$Bmr(100\%, t_d) = 0.1$$

$$Pcore\_Ls(50\%, t_d) = 0.226$$

$$Pcore\_Ls(100\%, t_d) = 0.922$$

$$Pcore\_Ls1(50\%, t_d) = 0.227$$

$$Pcore\_Ls1(100\%, t_d) = 0.924$$

### 3.2 Winding Analysis

$$dw\_Ls := 0.1m$$

$$nw\_Ls := 320$$

$$FR\_Ls := 1.2$$

Porosity

$$\eta := 1$$

solid copper - unit porosity

$$\delta_m := \frac{75}{\sqrt{Fs(t_d)}} m$$

$$\delta = 2.443 \times 10^{-4}$$

Specific functions for winding loss analysis [ Fundamentals of Power Electronics, R. Erickson, pp.518 ]

$$G1(\phi) := \frac{\sinh(2\phi) + \sin(2\phi)}{\cosh(2\phi) - \cos(2\phi)}$$

$$G2(\phi) := \frac{\sinh(\phi) \cos(\phi) + \cosh(\phi) \cdot \sin(\phi)}{\cosh(2\phi) - \cos(2\phi)}$$

$$Fr(\phi, M) := \phi \left[ G1(\phi) + \frac{2}{3} (M^2 - 1) (G1(\phi) - 2 G2(\phi)) \right]$$

$\phi = h/\delta$ , effective skin depth ratio

Effective skin depth ratio

$$\phi := \sqrt{\eta} \frac{dw\_Ls}{\delta}$$

$$\phi = 0.409$$

$$FR\_Lr := Fr(\phi, 2)$$

$$FR\_Lr = 1.012$$

$$Rdc\_Ls := Nr \cdot \frac{\rho \cdot MLTr}{nw\_Ls \cdot \frac{\pi}{4} \cdot dw\_Ls^2}$$

$$Rdc\_Ls = 0.012$$

$$Pcu\_Ls(x, t_d) := FR\_Lr \cdot Rdc\_Ls \cdot Ir_{RMS}(x, t_d)^2$$

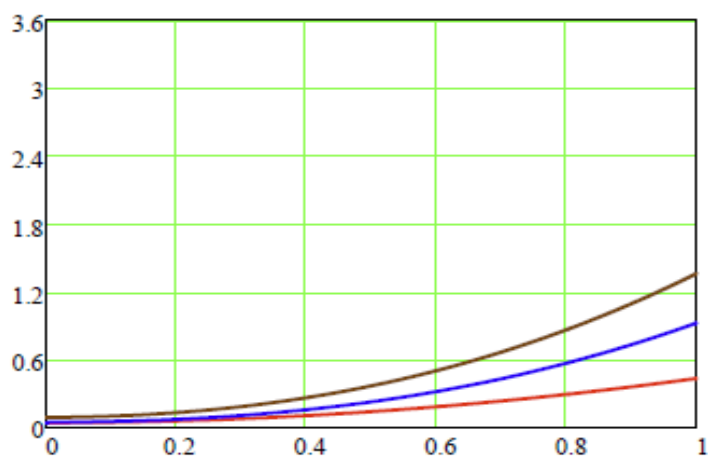
$$Pcu\_Ls(50\%, t_d) = 0.14$$

$$Pcu\_Ls(100\%, t_d) = 0.433$$

### 3.3 Total Inductor Loss

$$P_{Ls}(x, t_d) := P_{core\_Ls1}(x, t_d) + P_{cu\_Ls}(x, t_d)$$

$$P_{Ls}(50\%, t_d) = 0.367 \quad P_{Ls}(100\%, t_d) = 1.357$$



#### 4. Resonant Capacitor Analysis

DI := "COG"

$$DF\_Cs1 := \begin{cases} 0.0015 & \text{if DI = "COG"} \\ 0.0250 & \text{if DI = "X7R"} \\ 0.0020 & \text{if DI = "PP"} \\ 0 & \text{otherwise} \end{cases}$$

Data from Kemet web at 500 kHz

Cs1 := Cs

$$DF\_Cs1 = 1.5 \times 10^{-3}$$

$$rCs1(t_d) := \frac{DF\_Cs1}{2\pi \cdot Fs(t_d) \cdot Cs1}$$

$$rCs1(t_d) = 0.055$$

$$nCslx := \frac{Cs}{Cs1}$$

$$nCslx = 1$$

nCs1 := 8

$$I_{RMS}(x, t_d) := \sqrt{\left( \frac{\pi \cdot Io(x) \cdot Fo}{Nt \cdot Fs(t_d)} \right)^2 + I_{Lm}^2}$$

$$I_{RMS}(x, t_d) := I_{priRMS}(x, t_d)$$

$$V_{Cs\_max}(x, t_d) := \frac{I_{Lm}}{4 \cdot Cs} \cdot \left( \frac{1}{Fs(t_d)} - \frac{1}{Fo} \right) + \frac{\sqrt{\left( \frac{\pi \cdot Io(x) \cdot Fo}{Nt \cdot Fs(t_d)} \right)^2 + I_{Lm}^2}}{2 \cdot \pi \cdot Fo \cdot Cs}$$

$$V_{Cs\_ac}(x, t_d) := \frac{1}{\sqrt{2}} \left[ \frac{I_{Lm}}{4 \cdot Cs} \cdot \left( \frac{1}{Fs(t_d)} - \frac{1}{Fo} \right) + \frac{\sqrt{\left( \frac{\pi \cdot Io(x) \cdot Fo}{Nt \cdot Fs(t_d)} \right)^2 + I_{Lm}^2}}{2 \cdot \pi \cdot Fo \cdot Cs} \right]$$

$$P_{Cs}(x, t_d) := \frac{rCs1(t_d)}{nCsl} \cdot I_{RMS}(x, t_d)^2$$

$$V_{Cs\_max}(100\%, t_d) = 592.537$$

$$V_{Cs\_ac}(100\%, t_d) = 418.987$$

$$P_{Cs}(50\%, t_d) = 0.081$$

$$P_{Cs}(100\%, t_d) = 0.25$$

## 5. Output Capacitor Analysis

Co : 330 uF Polymer, 42mOhm

$$Co := 330\mu \quad rCo := 42 \times 10^{-3} \quad nCo := 15$$

$$\Delta V_{C\_Co}(x, t_d) := \frac{1}{nCo \cdot Co} \cdot \frac{1}{2} \cdot Io(x) \cdot \left( \frac{\pi}{2} - 1 \right) \cdot \frac{To}{2} \quad \Delta V_{C\_rCo}(x, t_d) := \frac{rCo}{nCo} \cdot \left( \frac{\pi}{2} - 1 \right) Io(x)$$

$$\Delta V_{Co}(x, t_d) := \sqrt{\Delta V_{C\_Co}(x, t_d)^2 + \Delta V_{C\_rCo}(x, t_d)^2}$$

$$I_{CoRMS}(x, t_d) := Io(x) \sqrt{\frac{\pi^2}{8} \cdot \frac{Fo}{Fs(t_d)} + \left( \frac{5}{6} - \frac{8}{\pi^2} \right) \cdot \left( \frac{Nt \cdot I_{Lm}}{Io(x)} \right)^2 \cdot \frac{Fs(t_d)}{Fo} - 1}$$

$$P_{Co}(x, t_d) := \frac{8 \cdot rCo}{nCo} \cdot I_{CoRMS}(x, t_d)^2$$

$$\Delta V_{Co}(100\%, t_d) = 0.065$$

$$I_{CoRMS}(100\%, t_d) = 22.486$$

$$P_{Co}(100\%, t_d) = 11.326$$

## 6. Input Bulk Capacitor Analysis

Cap selection is limited by cap life and bus ripple voltage

Cb : Nichicon-270uF

$$Cb := 540\mu$$

$$rCb := 0.20m$$

$$nC_b := 1$$

$$\eta_{\min} := 90\%$$

$$f_{\min} := 57$$

$$P_{ox} := 310$$

$$\Delta V_{Cb} := \frac{\frac{P_{ox}}{\eta_{\min}}}{V_{in_{NL}} \cdot 2\pi \cdot f_{\min} \cdot (80\% \cdot nC_b \cdot C_b)}$$

$$\Delta V_{Cb} = 5.708$$

$$Th := \frac{0.5 \cdot (80\% \cdot nC_b \cdot C_b) \cdot \left[ (V_{in_{NL}} - 0.5 \cdot \Delta V_{Cb})^2 - V_{in_{LL}}^2 \right]}{\frac{P_{ox}}{\eta_{\min}}}$$

$$Th = 3.438 \times 10^{-3}$$

## 7. Primary Switch Analysis

Kt - Temp coeff at 120deg C  
Cds\_s1 - Effective Coss (time related)

$$V_{g\_s1} := 12 \quad I_{g\_s1on} := 1 \quad I_{g\_s1off} := 0.85 \quad Kt\_s1 := 1.4$$

$$S1 := \text{"TPH3212"}$$

Tentative, to check actual Coss(Tr)

$$R_{on\_s1} := \begin{cases} 0.074 & \text{if } S1 = \text{"IPP60R074C6"} \\ 0.25 & \text{if } S1 = \text{"TPH2002"} \\ 0.199 & \text{if } S1 = \text{"IPP199"} \\ 0.15 & \text{if } S1 = \text{"TPH3006"} \\ 0.072 & \text{if } S1 = \text{"TPH3212"} \\ 0.50 & \text{if } S1 = \text{"GAN40G31"} \\ 0.450 & \text{if } S1 = \text{"STP11NM60N"} \\ 0 & \text{otherwise} \end{cases} \quad Q_{g\_s1} := \begin{cases} 138n & \text{if } S1 = \text{"IPP60R074C6"} \\ 6.2n & \text{if } S1 = \text{"TPH2002"} \\ 32n & \text{if } S1 = \text{"IPP199"} \\ 6.2n & \text{if } S1 = \text{"TPH3006"} \\ 9n & \text{if } S1 = \text{"TPH3212"} \\ 0.4n & \text{if } S1 = \text{"GAN40G31"} \\ 30n & \text{if } S1 = \text{"STP11NM60ND"} \\ 0 & \text{otherwise} \end{cases}$$

$$Q_{gs2\_s1} := \begin{cases} 17n & \text{if } S1 = \text{"IPP60R074C6"} \\ 2n & \text{if } S1 = \text{"TPH2002"} \\ 8n & \text{if } S1 = \text{"IPP199"} \\ 2.5n & \text{if } S1 = \text{"TPH3006"} \\ 4.6n & \text{if } S1 = \text{"TPH3212"} \\ 0.4n & \text{if } S1 = \text{"GAN40G31"} \\ 6n & \text{if } S1 = \text{"STP11NM60N"} \\ 0 & \text{otherwise} \end{cases} \quad Q_{gd\_s1} := \begin{cases} 71n & \text{if } S1 = \text{"IPP60R074C6"} \\ 2.2n & \text{if } S1 = \text{"TPH2002"} \\ 2.2n & \text{if } S1 = \text{"TPH3006"} \\ 3n & \text{if } S1 = \text{"TPH3212"} \\ 1.3n & \text{if } S1 = \text{"GAN40G31"} \\ 15n & \text{if } S1 = \text{"STP11NM60ND"} \\ 0 & \text{otherwise} \end{cases}$$

$$C_{ds\_tr\_s1} := \begin{cases} 580p & \text{if } S1 = \text{"IPP60R074C6"} \\ 70p & \text{if } S1 = \text{"TPH2002"} \\ 180p & \text{if } S1 = \text{"IPP199"} \\ 110p & \text{if } S1 = \text{"TPH3006"} \\ 225p & \text{if } S1 = \text{"TPH3212"} \\ 80p & \text{if } S1 = \text{"GAN40G31"} \\ 130p & \text{if } S1 = \text{"STP11NM60ND"} \\ 0 & \text{otherwise} \end{cases} \quad C_{ds\_25V\_s1} := \begin{cases} 300p & \text{if } S1 = \text{"IPP60R074C6"} \\ 100p & \text{if } S1 = \text{"TPH2002"} \\ 180p & \text{if } S1 = \text{"IPP199"} \\ 210p & \text{if } S1 = \text{"TPH3006"} \\ 225p & \text{if } S1 = \text{"TPH3212"} \\ 80p & \text{if } S1 = \text{"GAN40G31"} \\ 200p & \text{if } S1 = \text{"STP11NM60ND"} \\ 0 & \text{otherwise} \end{cases}$$

### 7.1 Conduction loss

$$I_{s1\_RMS}(x, t_d) := \frac{1}{\sqrt{2}} \cdot \sqrt{\frac{1}{2} \cdot \left[ \left( \frac{\pi \cdot I_o(x) \cdot F_o}{2Nt \cdot F_s(t_d)} \right)^2 + I_{Lm}^2 \right] \cdot \frac{F_s(t_d)}{F_o}}$$

$$I_{s1\_RMS}(1, t_d) = 4.238$$

$$P_{con\_s1}(x, t_d) := Kt\_s1 \cdot R_{on\_s1} \cdot I_{s1\_RMS}(x, t_d)^2$$

$$Kt\_s1 = 1.4$$

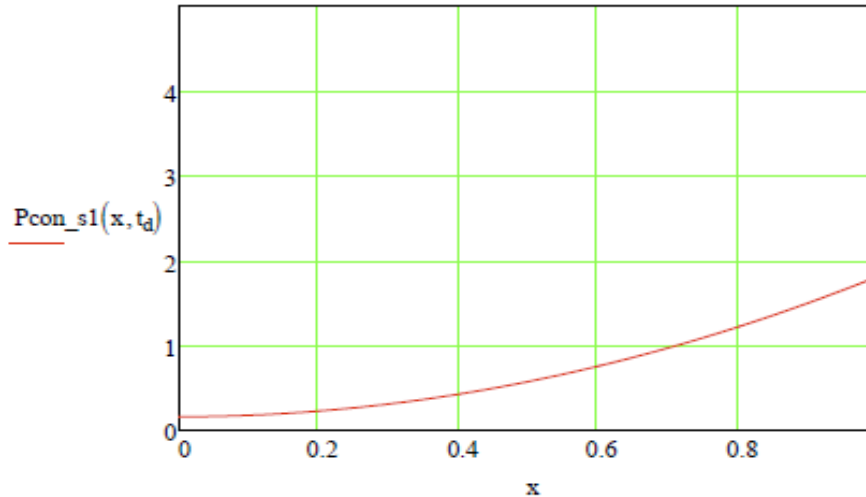
$$P_{con\_s1}(50\%, t_d) = 0.573$$

$$P_{con\_s1}(100\%, t_d) = 1.811$$

$$P_{con\_s1}(20\%, t_d) = 0.226$$

$$4 P_{con\_s1}(50\%, t_d) = 2.29$$

$$4 P_{con\_s1}(100\%, t_d) = 7.243$$



## 7.2 Switching loss

$$E_{off}(t_d) := 0.2u$$

$$P_{off}(t_d) := F_s(t_d) \cdot E_{off}(t_d)$$

$$P_{off}(t_d) = 0.019$$

$$2 P_{off}(t_d) = 0.038$$

## 7.3 Gate drive loss

$$P_{drv\_s1}(t_d) := V_{g\_s1} \cdot Q_{g\_s1} \cdot F_s(t_d)$$

$$V_{g\_s1} = 12$$

$$P_{drv\_s1}(t_d) = 0.01$$

$$2 P_{drv\_s1}(t_d) = 0.02$$

## 7.4 Total Primary Switch Loss

$$P_{S1}(x, t_d) := P_{con\_s1}(x, t_d) + P_{drv\_s1}(t_d) + P_{off}(t_d)$$

$$P_{S\_pri}(x, t_d) := 2 P_{S1}(x, t_d)$$

$$P_{S1}(100\%, t_d) = 1.84$$

$$P_{S\_pri}(50\%, t_d) = 1.203$$

$$P_{S\_pri}(100\%, t_d) = 3.68$$

## 8. Synchronous Rectifier Analysis

D1 := "BSC030N08NS5"

Vg\_d1 := 10

Kt\_d1 := 1.4

Tdead\_d1 := 20n

Nd1 := 3

Ron\_5 :=  $\begin{cases} 3.4\text{m} & \text{if } D1 = \text{"BSC030N08NS5"} \\ 11.3\text{m} & \text{if } D1 = \text{"IPB108N15N3"} \\ 20\text{m} & \text{if } D1 = \text{"IPB200N15N3"} \\ 2.3\text{m} & \text{if } D1 = \text{"BSC030N08NS"} \\ 36\text{m} & \text{if } D1 = \text{"PHP45NQ15T"} \\ 0 & \text{otherwise} \end{cases}$

Ron\_10 :=  $\begin{cases} 2.6\text{m} & \text{if } D1 = \text{"BSC030N08NS5"} \\ 10.8\text{m} & \text{if } D1 = \text{"IPB108N15N3"} \\ 20\text{m} & \text{if } D1 = \text{"IPB200N15N3"} \\ 1.6\text{m} & \text{if } D1 = \text{"BSC016LS"} \\ 33\text{m} & \text{if } D1 = \text{"PHP45NQ15T"} \\ 0 & \text{otherwise} \end{cases}$

Qg\_d1(Vg) :=  $\begin{cases} 20\text{n} + (Vg - 4.7) \cdot 4.255\text{n} & \text{if } D1 = \text{"BSC030N08NS5"} \\ 18\text{n} + (Vg - 5.6) \cdot 3.75\text{n} & \text{if } D1 = \text{"IPB108N15N3"} \\ 11\text{n} + (Vg - 5.6) \cdot 2.14\text{n} & \text{if } D1 = \text{"IPB200N15N3"} \\ 25\text{n} + (Vg - 2.8) \cdot 10.3\text{n} & \text{if } D1 = \text{"BSC016LS"} \\ 16\text{n} + (Vg - 4.2) \cdot 2.8\text{n} & \text{if } D1 = \text{"PHP45NQ15T"} \\ 0 & \text{otherwise} \end{cases}$

Vg\_th :=  $\begin{cases} 3 & \text{if } D1 = \text{"BSC030N08NS5"} \\ 3 & \text{if } D1 = \text{"IPB108N15N3"} \\ 3 & \text{if } D1 = \text{"IPB200N15N3"} \\ 1.5 & \text{if } D1 = \text{"BSC016LS"} \\ 2.7 & \text{if } D1 = \text{"PHP45NQ15T"} \\ 0 & \text{otherwise} \end{cases}$

Qrr\_d1 :=  $\begin{cases} 94\text{n} & \text{if } D1 = \text{"BSC030N08NS5"} \\ 415\text{n} & \text{if } D1 = \text{"IPB108N15N3"} \\ 332\text{n} & \text{if } D1 = \text{"IPB200N15N3"} \\ 40\text{n} & \text{if } D1 = \text{"BSC016LS"} \\ 360\text{n} & \text{if } D1 = \text{"PHP45NQ15T"} \\ 0 & \text{otherwise} \end{cases}$

Vf\_d1 :=  $\begin{cases} 1.0 & \text{if } D1 = \text{"BSC030N08NS5"} \\ 1 & \text{if } D1 = \text{"IPB108N15N3"} \\ 1 & \text{if } D1 = \text{"IPB200N15N3"} \\ 0.8 & \text{if } D1 = \text{"BSC016LS"} \\ 0.88 & \text{if } D1 = \text{"PHP45NQ15T"} \\ 0 & \text{otherwise} \end{cases}$

### 8.1 Conduction Loss

Ron\_d1 := 3m

Id1\_RMS(x, td) := Isec\_RMS(x, td)

Pcon\_d1(x, td) :=  $Kt\_d1 \cdot \frac{Ron\_d1}{Nd1} \cdot \frac{Id1\_RMS(x, td)^2}{2}$

Pcon\_d1(50%, td) = 0.373

Pcon\_d1(100%, td) = 1.474

4 Pcon\_d1(50%, td) = 1.493

4 Pcon\_d1(100%, td) = 5.896

Qg\_d1(10) =  $4.255 \times 10^{-8}$

## 8.2 Bodydiode and Output Loss

$$dI_{d1}(x, t_d) := - \left( I_o(x) \cdot \pi^2 \cdot \frac{F_o^2}{F_s(t_d)} - \frac{Nt^2 \cdot V_o}{L_m} \right)$$

$dI_{d1}$  - Slope of diode current during turn-off

$$P_{dead\_d1}(x, t_d) := 0$$

$$T_{dead\_d1} = 2 \times 10^{-8}$$

$$Id1_{RMS}(100\%, t_d) = 45.887$$

$$Prev\_d1(t_d) := 0$$

$$P_{dead\_d1}(1, t_d) = 0$$

$$Prev\_d1(t_d) = 0$$

$$P_{dead\_d1}(100\%, t_d) = 0$$

$$P_{db\_d1}(x, t_d) := P_{dead\_d1}(x, t_d) + Prev\_d1(t_d)$$

$$P_{db\_d1}(1, t_d) = 0$$

$$P_{dead\_d1}(50\%, t_d) = 0$$

## 8.3 Gate drive loss

$$P_{drv\_d1}(t_d, V_g) := Nd1 \cdot Q_{g\_d1}(V_g) \cdot V_g F_s(t_d)$$

$$P_{drv\_d1}(t_d, 10) = 0.12$$

$$Prev\_d1(t_d) = 0$$

$$4 P_{drv\_d1}(t_d, 10) = 0.481$$

## 8.4 Total Synchronous rectifier loss

$$P_{D1}(x, t_d, V_g) := P_{con\_d1}(x, t_d) + P_{db\_d1}(x, t_d) + P_{drv\_d1}(t_d, V_g)$$

$$P_{SR}(x, t_d) := 4 P_{D1}(x, t_d, V_{g\_d1})$$

$$4 P_{dead\_d1}(100\%, V_{in\_NL}) = 0$$

$$dI_{d1}(100\%, t_d) = -33.64 \times 10^6$$

$$4 Prev\_d1(V_{in\_NL}) = 0$$

$$P_{con\_d1}(100\%, t_d) = 1.474$$

$$P_{db\_d1}(100\%, t_d) = 0$$

$$P_{drv\_d1}(t_d, V_{g\_d1}) = 0.12$$

$$P_{D1}(100\%, t_d, V_{g\_d1}) = 1.594$$

$$P_{SR}(100\%, t_d) = 6.377$$

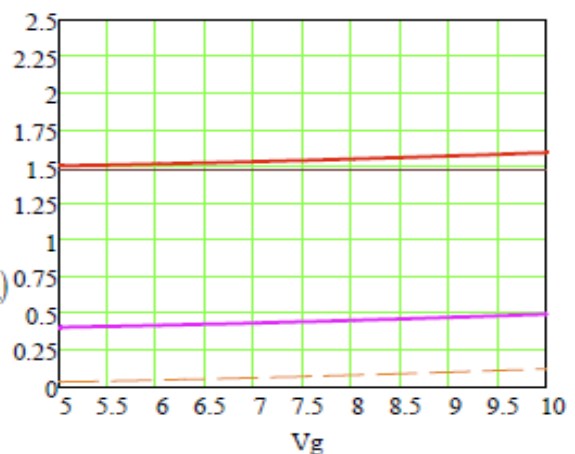
$$P_{D1}(100\%, t_d, V_g)$$

$$P_{con\_d1}(100\%, t_d)$$

$$P_{drv\_d1}(t_d, V_g)$$

$$P_{D1}(50\%, t_d, V_g)$$

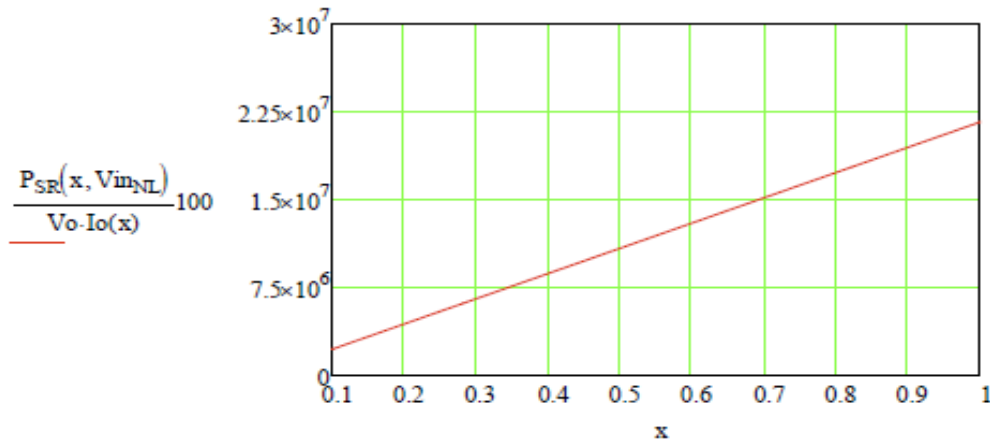
$$P_{con\_d1}(50\%, V_{in\_NL})$$



## 9. ZVS analysis

$$E_{\text{Coss}} := \frac{1}{2} \cdot (2C_{\text{ds\_tr\_s1}}) \cdot V_{\text{inNL}}^2 \quad E_{\text{Coss}} = 3.422 \times 10^{-5}$$

$$E_{\text{Lm}} := \frac{1}{2} L_{\text{m}} \cdot \left( \frac{N_{\text{t}} \cdot V_{\text{o}}}{4L_{\text{m}} \cdot F_{\text{o}}} \right)^2 \quad E_{\text{Lm}} = 1.297 \times 10^{-3}$$



## 10. Secondary filter loss

ICE LP-02-101-1

R<sub>dc</sub> at 25degC=0.34mohm, L=95nH, I<sub>sat</sub>=40A

$$R_{\text{Lf}} := 0.01\text{m}$$

$$P_{\text{Lf}}(x) := R_{\text{Lf}} I_{\text{o}}(x)^2$$

## 11. Total Efficiency

### 11.1 Output power

$$P_{\text{O}}(x) := V_{\text{o}} \cdot I_{\text{o}}(x)$$

### 11.2 Loss

Primary switch loss

$$P_{\text{S\_pri}}(50\%, t_{\text{d}}) = 1.203$$

$$P_{\text{S\_pri}}(100\%, t_{\text{d}}) = 3.68$$

Sync Rect. loss

$$P_{\text{SR}}(50\%, t_{\text{d}}) = 1.974$$

$$P_{\text{SR}}(100\%, t_{\text{d}}) = 6.377$$

Transformer loss

$$P_{\text{T}}(50\%, t_{\text{d}}) = 3.222$$

$$P_{\text{T}}(100\%, t_{\text{d}}) = 6.596$$

Resonant Inductor loss

$$P_{\text{Ls}}(50\%, t_{\text{d}}) = 0.367$$

$$P_{\text{Ls}}(100\%, t_{\text{d}}) = 1.357$$

Resonant capacitor loss

$$P_{\text{Cs}}(50\%, t_{\text{d}}) = 0.081$$

$$P_{\text{Cs}}(100\%, t_{\text{d}}) = 0.25$$

Output Capacitor loss		$P_{Co}(50\%, t_d) = 2.987$	$P_{Co}(100\%, t_d) = 11.326$
Secondary filter loss		$P_{Lf}(50\%) = 4 \times 10^{-3}$	$P_{Lf}(100\%) = 0.016$
PCB Trace loss	$P_{pcb}(x) := 1x^2$	$P_{pcb}(50\%) = 0.25$	$P_{pcb}(100\%) = 1$
Bias Power & Cooling fan	$P_{bias} := 0.8$		
Cooling fan	$P_{fan}(x) := 1x$	$P_{fan}(50\%) = 0.5$	$P_{fan}(100\%) = 1$ Use 40x40x15mm Fan

## Total loss

$$P_{loss\_power}(x, t_d) := P_T(x, t_d) + P_{Cs}(x, t_d) + P_{Ls}(x, t_d) + P_{Co}(x, t_d) + P_{S\_pri}(x, t_d) + P_{SR}(x, t_d) + P_{Lf}(x) + P_{pcb}(x)$$

$$P_{Loss}(x, t_d) := P_{loss\_power}(x, t_d) + (P_{bias} + P_{fan}(x))$$

$$P_{loss\_power}(50\%, t_d) = 10.088 \quad P_{loss\_power}(100\%, t_d) = 30.602$$

$$P_{Loss}(50\%, t_d) = 11.388 \quad P_{Loss}(100\%, t_d) = 32.402$$

## 11.3 Efficiency

### Overall system efficiency

$$\eta_o(x, t_d) := \frac{Po(x)}{Po(x) + P_{Loss}(x, t_d)}$$

$$\eta(50\%, t_d) = 98.874\% \quad \eta(100\%, t_d) = 98.406\%$$

### Power stage efficiency

$$\eta_p(x, t_d) := \frac{Po(x)}{Po(x) + P_{loss\_power}(x, t_d)} \quad Po(50\%) = 1 \times 10^3 \quad Po(25\%) = 500 \quad Po(100\%) = 2 \times 10^3$$

$$\eta_p(50\%, t_d) = 99.001\% \quad \eta_p(100\%, t_d) = 98.493\% \quad \eta_p(25\%, t_d) = 99.011\%$$

## Power stage efficiency excluding Gate drive loss

$$\eta_p(100\%, t_d) = 98.493\%$$

$$\eta_p(50\%, t_d) = 99.001\%$$

$$\eta_p(25\%, t_d) = 99.011\%$$

